# Foundations of Programming Languages 20PM Assembly (2/3): Advanced Operations

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Compute factorial of \$t1 in \$t0:

```
Assembly

li $t0, 1

mul $t0, $t1

subi $t1, 1

bnez $t1, -21 # If $t1 <> 0, then ...
```

Compute factorial of \$t1 in \$t0:

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Assembly

li $t0, 1

mul $t0, $t1 # ... jump back here

subi $t1, 1

bnez $t1, -21 # If $t1 <> 0, then ...
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▶ bnez \$r, n:
 if \$r ≠ 0, then \$pc := \$pc + n
 (conditional jump)

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mul $t0, $t1 # ... jump back here

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- ▶ bnez \$r, n:
   if \$r ≠ 0, then \$pc := \$pc + n
   (conditional jump)
- ▶ Meaning of -21: Number of bytes in memory to jump

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- ▶ Meaning of -21: Number of bytes in memory to jump

Jump distances like -21 hard to compute by hand

#### Labels

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li $t0, 0x1
loop:
    mul $t0, $t1
    subi $t1, 0x1
    bnez $t1, loop
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► Label 'loop' could be any name

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Exactly the same program as on the last slide

ightharpoonup Unconditional jump:  $\mathbf{j}$   $\ell$ 



- ▶ Unconditional jump: j ℓ
- Condition: compare two registers
  - ▶ **ble** \$r0, \$r1,  $\ell$  # Jump if \$r0 <= \$r1
  - ▶ Analogous: **bgt** (>), **bge** (≥), **beq** (=), **bne** ( $\neq$ ), . . .

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- ► Condition: compare register against 0:
  - ▶ beqz \$r0,  $\ell$  # Jump if \$r0 = 0
  - ► Analogous: **bnez**, **bgtz**, **blez**, . . .

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  - ▶ ble \$r0, \$r1,  $\ell$  # Jump if \$r0 <= \$r1
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- ► Condition: compare register against 0:
  - ▶ beqz \$r0,  $\ell$  # Jump if \$r0 = 0
  - Analogous: bnez, bgtz, blez, . . .

Operational Semantics for jumps is quite complex, won't be covered here

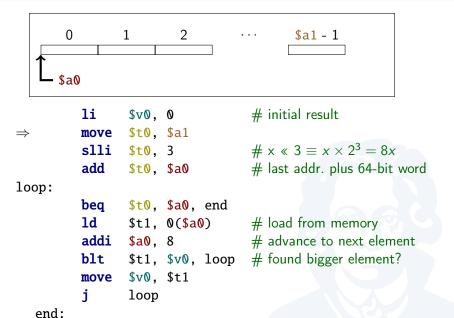
#### Memory access

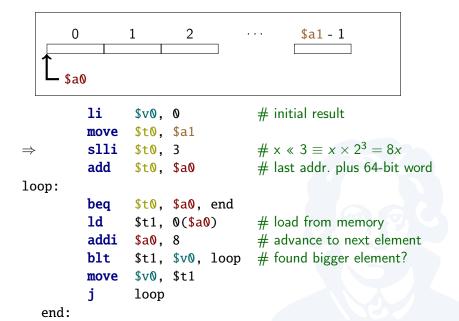
```
Load: ld $r0, d($r1)
Store: sd $r0, d($r1)
```

- d: 32 bit (signed) displacement
- Operation accesses memory address d + \$r1
- Reads or writes 64 bit string to/from \$r0

- Starting at address \$a0:
- Search for largest 64-bit (8-byte) element in \$a1 entries
- ► Store result in \$v0

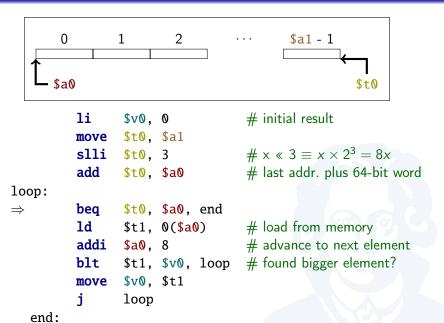
```
li $v0, 0
                                  # initial result
         move $t0, $a1
                                  \# \times \ll 3 \equiv x \times 2^3 = 8x
         slli $t0, 3
         add
                                  # last addr. plus 64-bit word
                $t0. $a0
loop:
                $t0, $a0, end
         beg
         1d
                                  # load from memory
                $t1, 0($a0)
         addi
                                  # advance to next element
                $a0, 8
                $t1, $v0, loop # found bigger element?
         blt
         move $v0, $t1
                loop
  end:
```

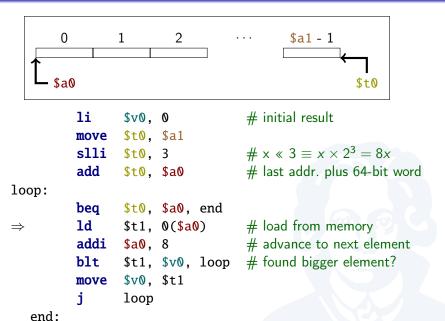


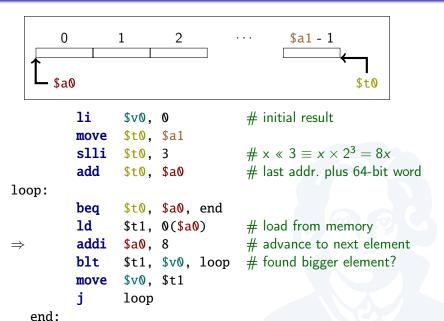


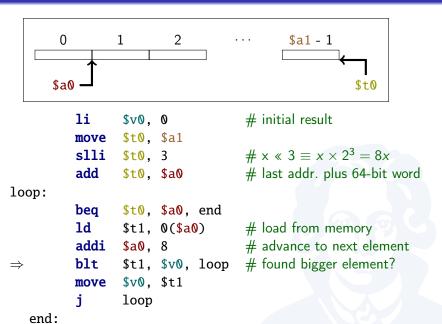
end:

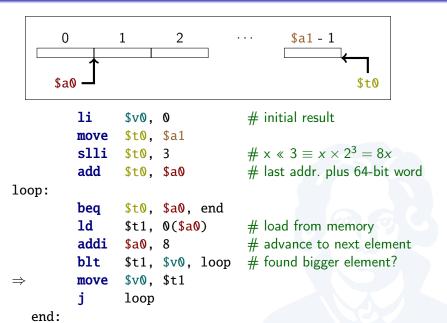
```
$a1 - 1
          li
                                     # initial result
                 $v0, 0
                 $t0, $a1
          move
                                    \# \times \ll 3 \equiv x \times 2^3 = 8x
          slli
                 $t0. 3
          add
                                    # last addr. plus 64-bit word
                 $t0. $a0
\Rightarrow
loop:
                 $t0, $a0, end
          beg
          1d
                                    # load from memory
                 $t1, 0($a0)
          addi
                                    # advance to next element
                 $a0. 8
                 $t1, $v0, loop # found bigger element?
          blt
                 $v0, $t1
          move
                 loop
```

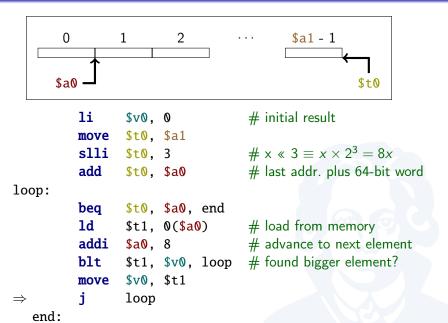


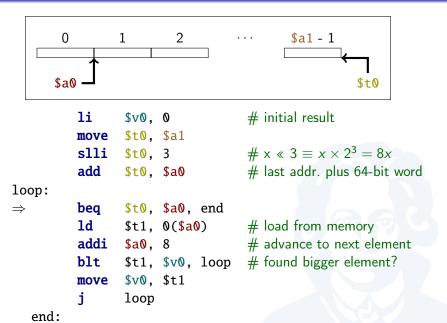


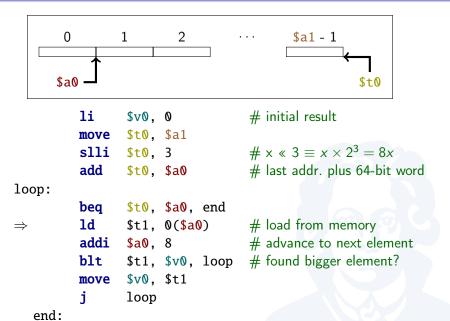


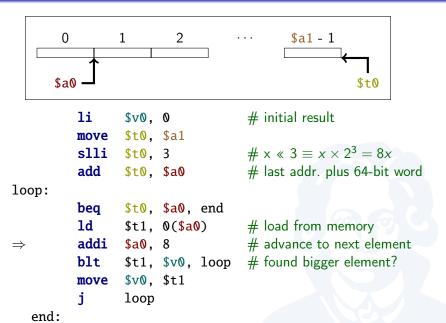


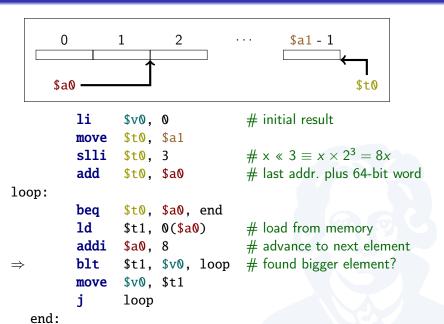


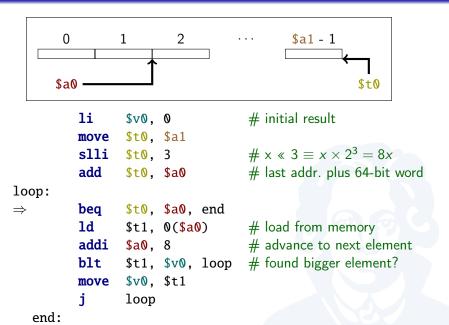


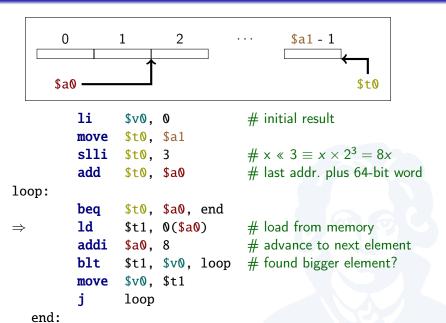


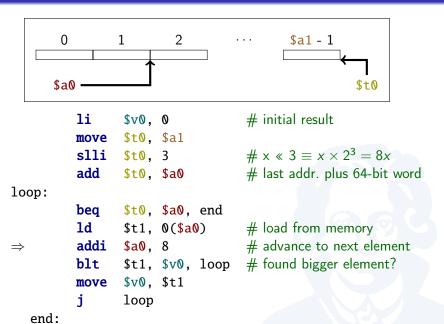


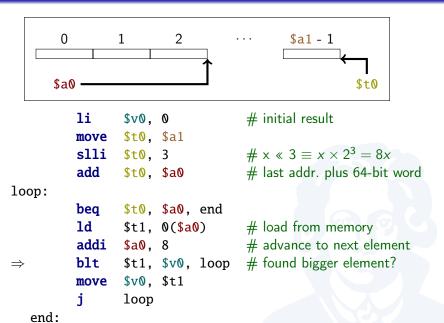


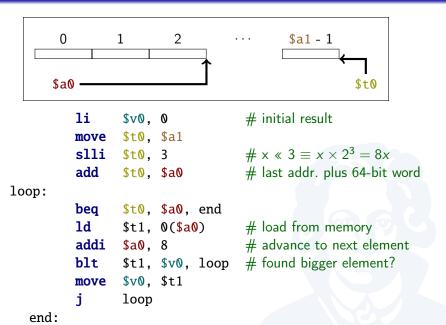


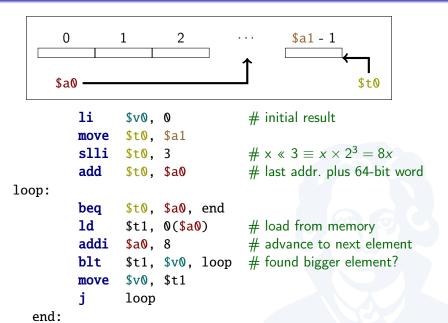


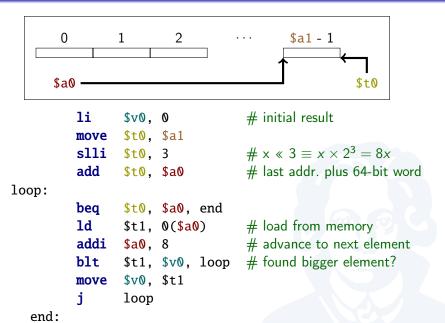






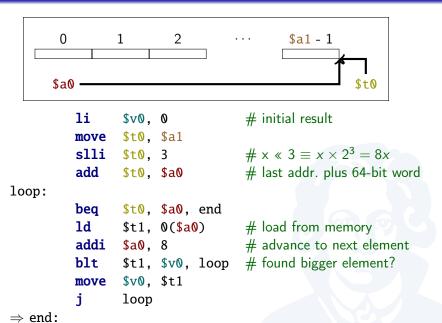






end:

```
0
                                            $a1 - 1
      $a0
          1i
                                     # initial result
                 $v0, 0
                 $t0, $a1
          move
                                     \# \times \ll 3 \equiv x \times 2^3 = 8x
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                 $a0. 8
                                     # advance to next element
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          blt
                 $v0, $t1
          move
                 loop
```



#### Summary

- ► Memory access via 1d (load) and sd (store)
- Conditional and unconditional jumps available
  - Conditional jumps for comparing two registers
  - Conditional jumps for comparing one register with zero
- Operational semantics for full assembly language quite complex